

CRiSP Basics

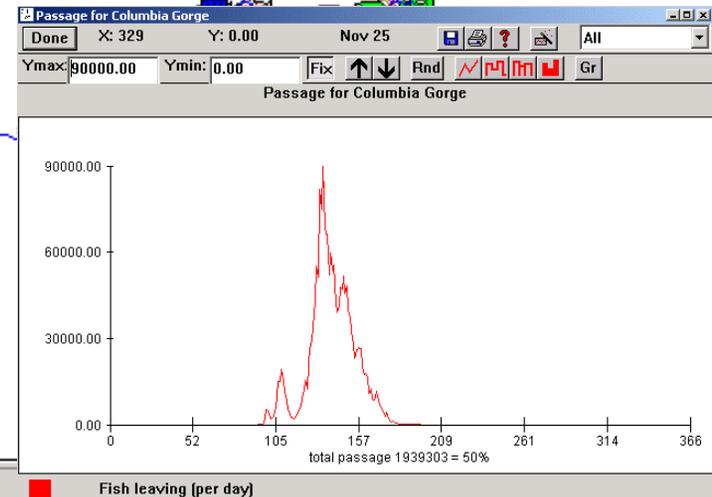
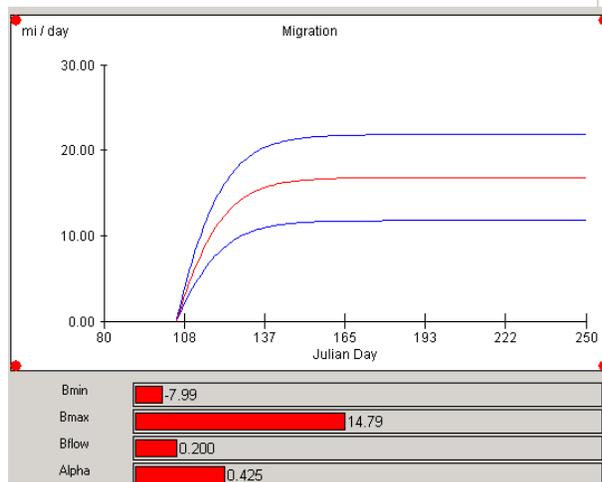
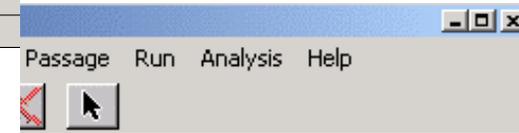
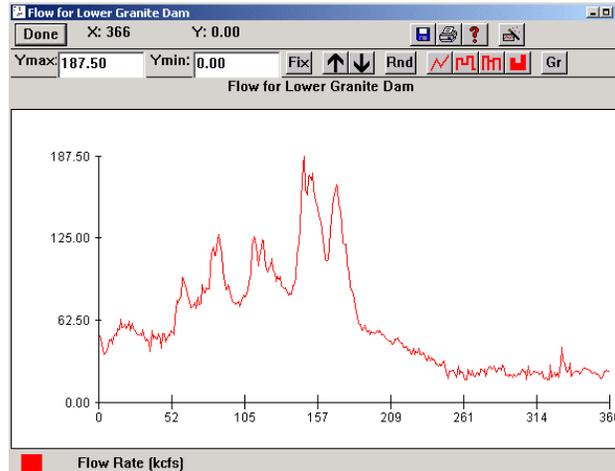
- Models smolt downstream migration and survival through tributaries, dams and estuary
- Uses daily and hourly time-step inputs to model river parameters
- Describes detailed fish movement, survival and river conditions
- Migration and survival models are calibrated to PIT-tag data.
- Dam passage parameters from NOAA estimates

CRiSP Components

- GIS Based River Model
- Component Submodels
 - submodels are changed as science advances.
- River conditions
 - Provide detailed hydroregulation descriptions on hourly and daily basis for each year.
- Input Parameters from NOAA studies
 - FGEs, Separation Probability, Spill Efficiency
- Calibrated Parameters PIT tag studies
 - Migration and survival calibrated for specific cohorts.

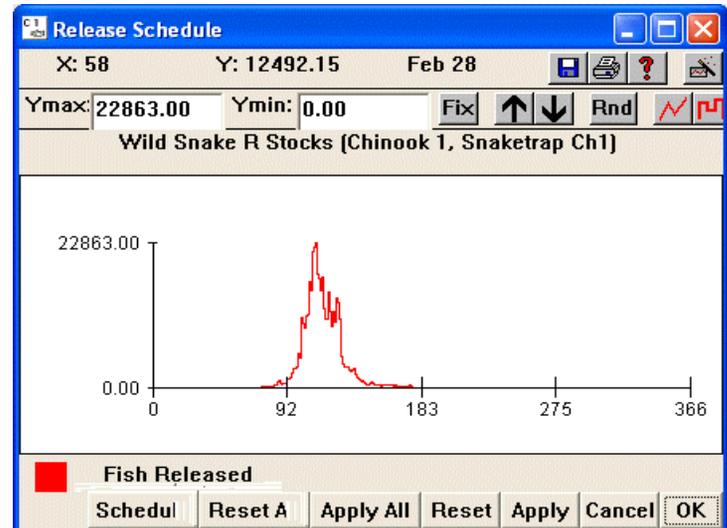
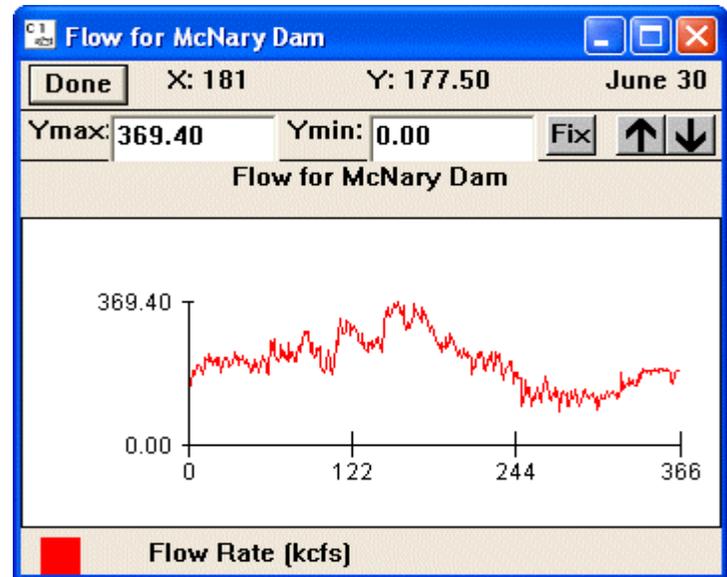
CRiSP Smolt Passage Model

- Shows data
- Shows results
- Shows functions



Model Inputs

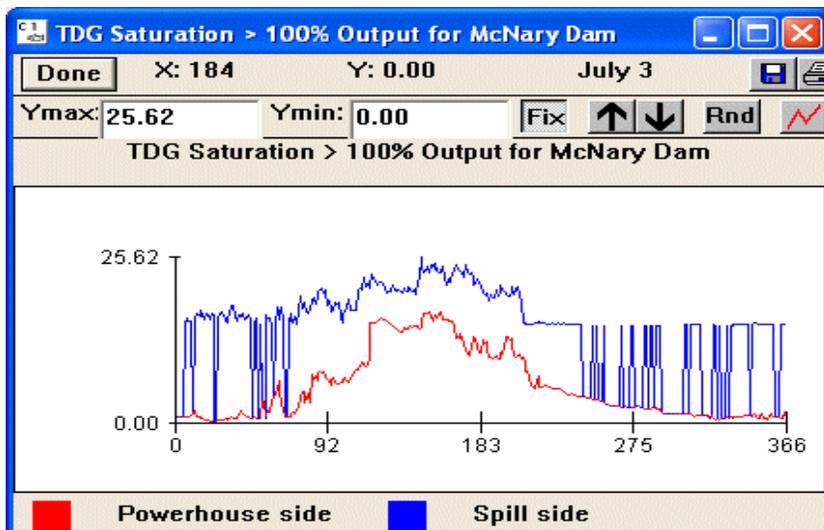
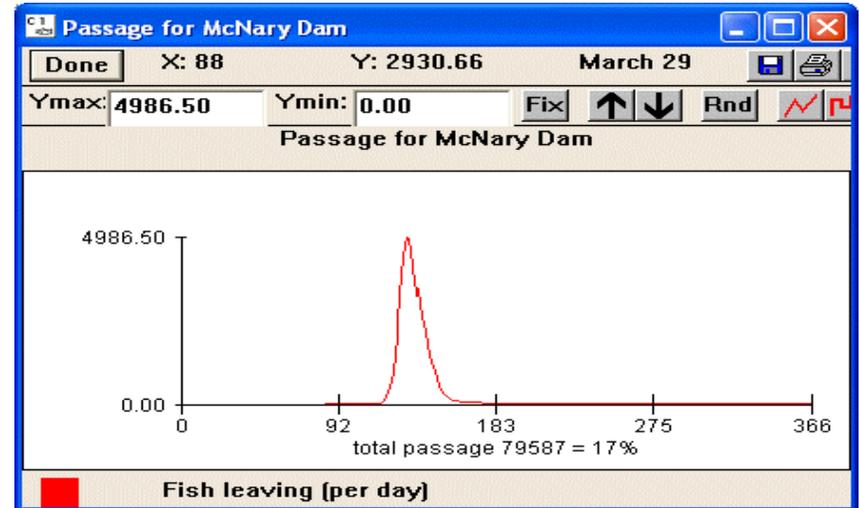
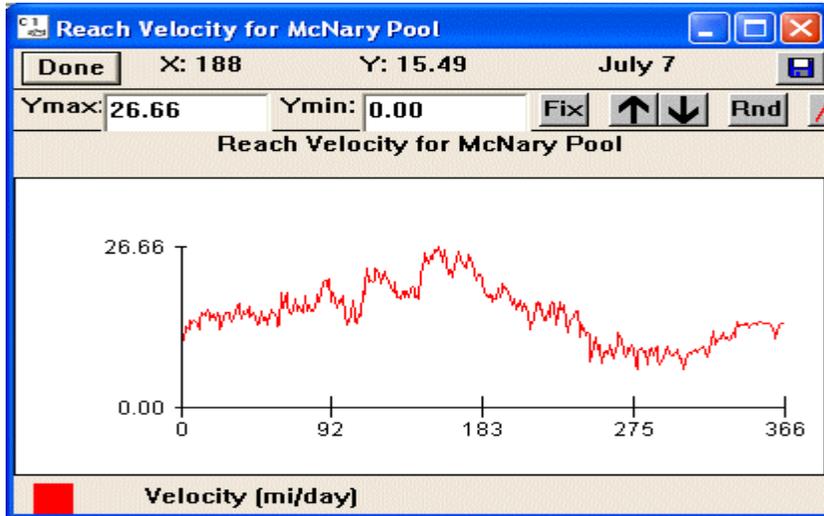
- Daily flows
- Hourly spill
- Water temperatures
- Pool elevations
- Headwater dissolved gas
- Transport operations
- Fish release profiles
- Fish Guidance Efficiency
- Spill Efficiency
- Dam passage mortalities
- Pool-specific predator density



Submodels

- Water velocity
- Dissolved gas generation from spill
- Mixing: flow, temperature, TDG
- Fish transport and dam passage routing
- Migration timing
- Mortality from predation and Gas Bubble Disease

Submodel Results



Survival fractions from after Lower Snake River through McNary Pool :

Main Reach survival fraction = 0.95321

Inriver survival fraction from release thru Main Reach = 0.64157

Median passage day: 134.31

Forebay survival fraction = 0.99400

Total Pool survival fraction = 0.94749

Inriver survival fraction from release thru entire McNary Pool = 0.63384

Median passage day: 134.35

Survival fractions through McNary Dam :

Total Project survival fraction = 0.94995

Turbine survival fraction = 0.90000 Percent of survivors this route: 10.06

Spillway survival fraction = 0.98000 Percent of survivors this route: 36.49

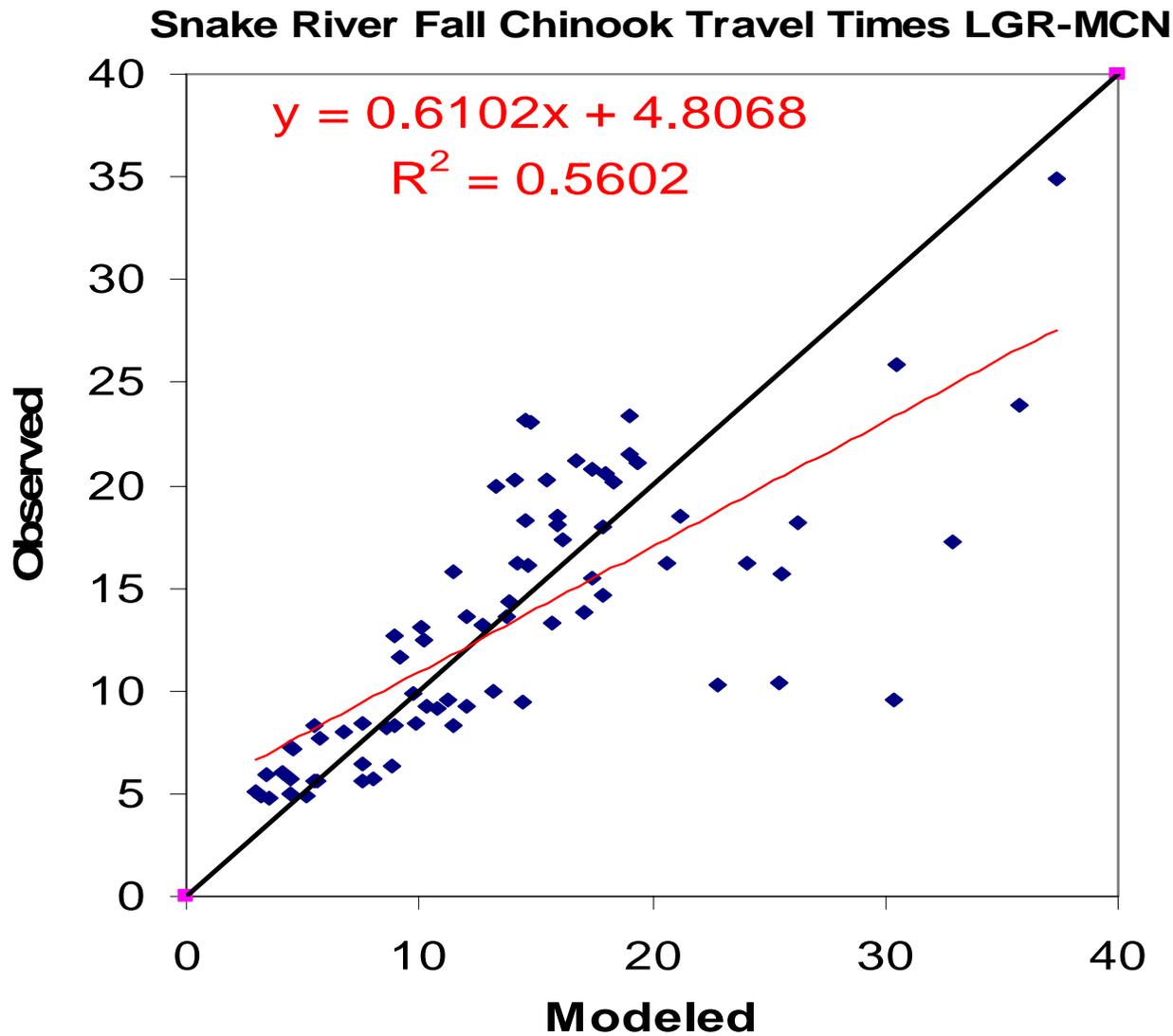
Transported Fraction = 0.99269 Percent of survivors this route: 54.15

Bypass survival fraction = 0.98004 Percent of survivors this route: 0.39

Tailrace survival fraction = 0.993

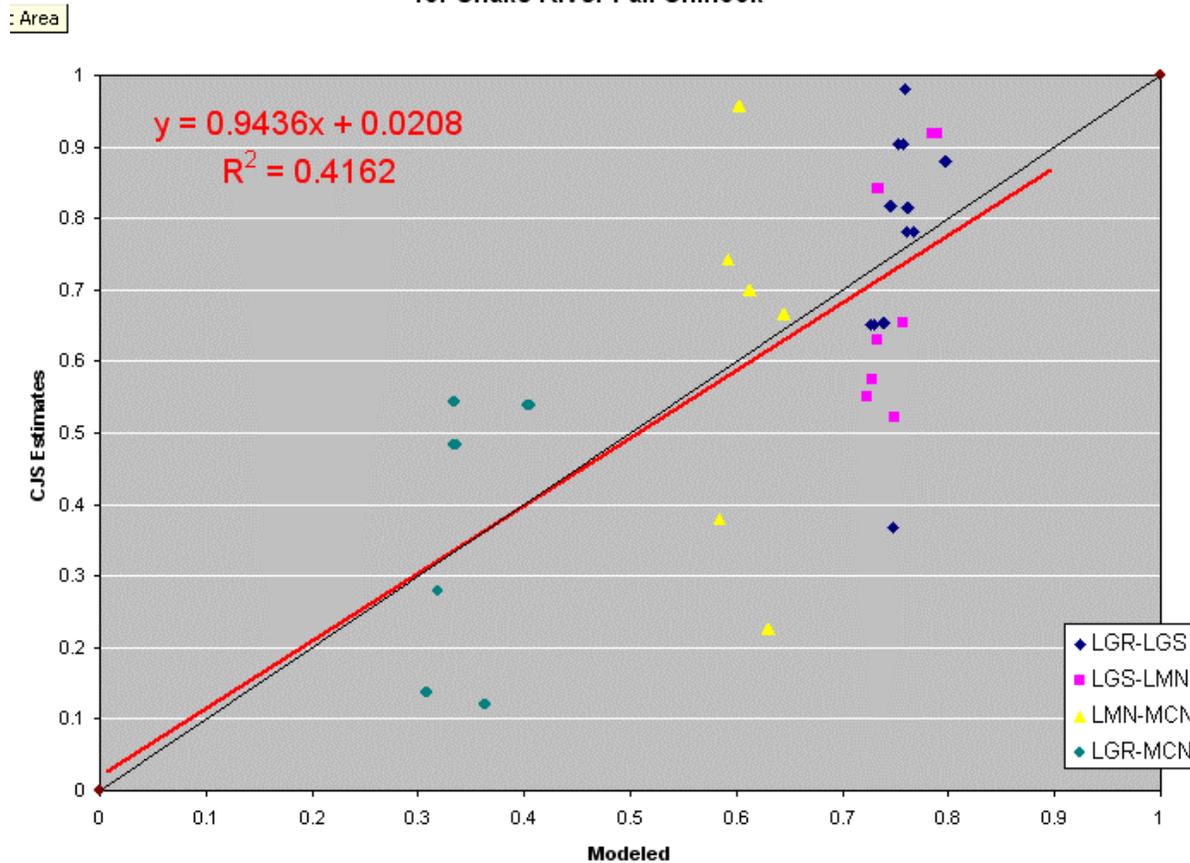
Inriver survival fraction from release thru entire McNary Dam = 0.60157

Travel-Time Calibrations



Snake River Fall Chinook Survival Calibration

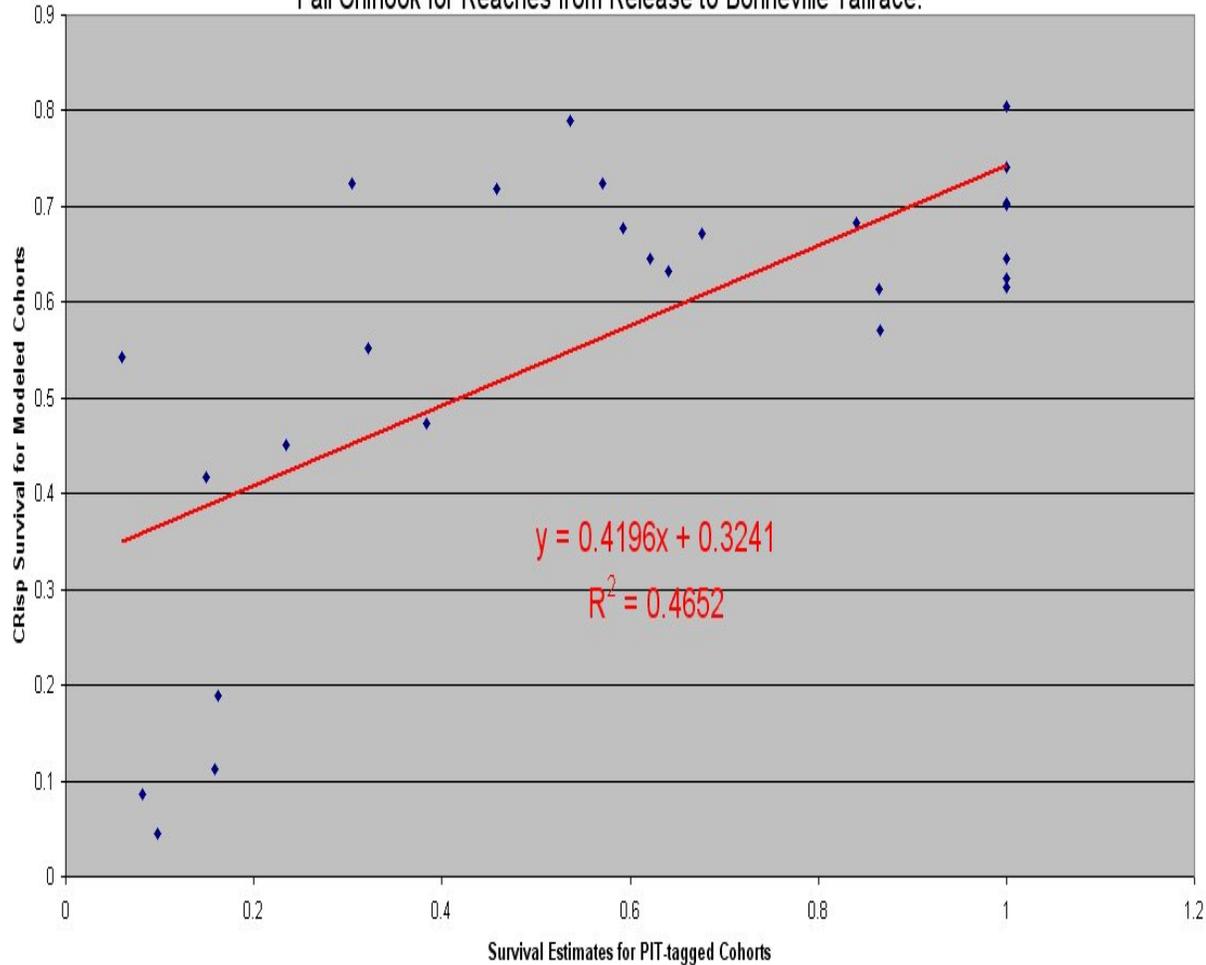
Estimated (CJS) vs Modeled (CRiSP) Cohort Survivals
for Snake River Fall Chinook



Hanford Reach Fall Chinook Survival Calibrations

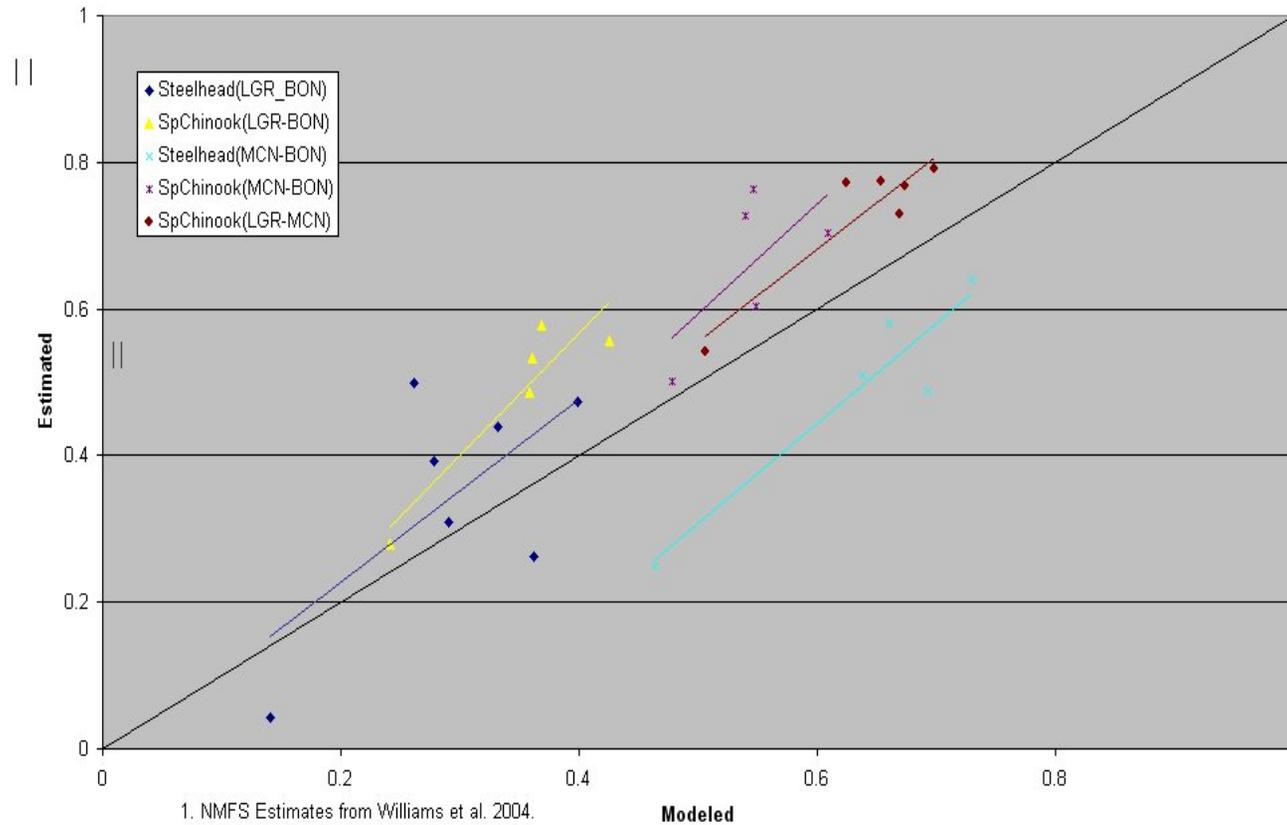
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CJS Estimates vs Calibrated CRISP Survivals for Hanford Reach
Fall Chinook for Reaches from Release to Bonneville Tailrace.

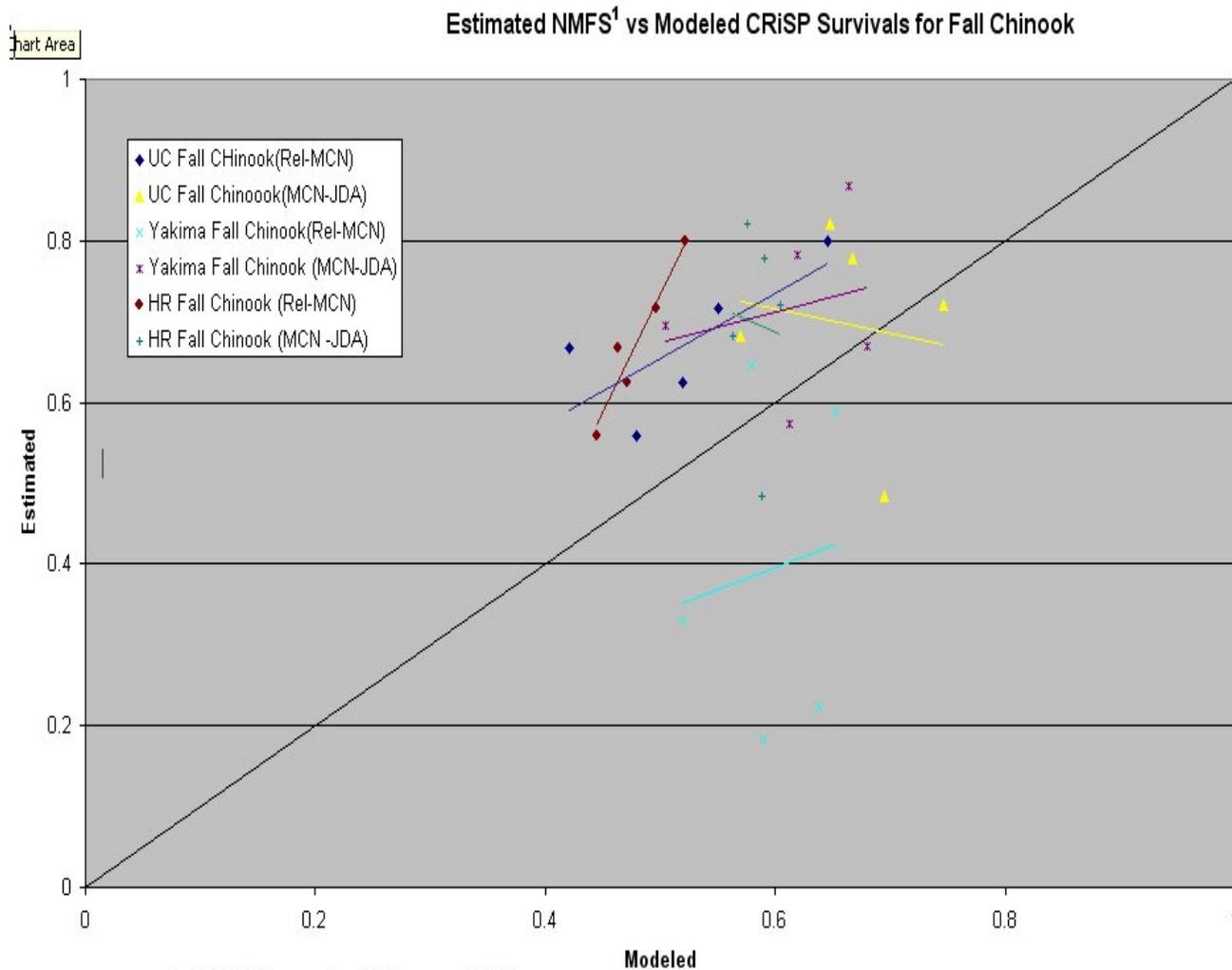


NMFS vs CRiSP: Spring Migrants

Estimated NMFS¹ vs Modeled CRiSP Survivals for Snake River Spring Migrants



NMFS vs CRiSP: Fall Chinook



1. NMFS Estimates from Williams et al. 2004.

Current CRiSP Development

- Continued migration and survival calibration
 - Improved river descriptions of Upper Columbia and Yakima basins
 - Improve fall chinook calibrations
 - Expansion of calibrated stocks for alternate model comparisons.
 - Use identical migration cohorts for both travel time and survival.
- Reach-specific migration and survival equations.
 - Calibration to specific reach's observed survivals and travel times allows for model adjustments to tributaries, upper impoundments and the lower river.
- Development of temperature modeling for examining temperature mitigation effects.
- Add turbidity to river descriptions for potential incorporation in survival models

Recent CRiSP modeling includes:

- Evaluating spill scenarios
 - Hourly spill time step allows for fine grade manipulation
- Predicting effects of flow regulation changes
- Predicting impact of temperature mitigation efforts
- Determining flow impacts on water velocities
- Categorizing irrigation impacts on flows and survivals

Evaluating and choosing reservoir survival submodels for CRiSP

based on

Anderson, Gurarie, Zabel
Ecological Modeling (2005)

Anderson and Van Holmes
*Canadian Journal of Fisheries and
Aquatic Sciences* (In Review)

How does one choose a survival submodel for CRiSP from among all the models put forth in the past two decades?

Criteria for judging models

- Examine r^2 across all years:
Look for the best fit.
- Compare r^2 of modeled odd year data using parameter fit from even year data:
Illustrates predictive value.
- Does it fit broken stick Flow-Survival pattern?
Adheres to between year flow survival pattern.
- Does mathematical form allow a fit to 2001 data?
Model applies to within year flow and temperature data
- Number of model parameters and covariates
Occam's Razor
- Biological realism
Gives confidence in new situations

F = Flow

θ = Temperature

T = Time

X = Distance

D = Day

B = spill

Z = transparency

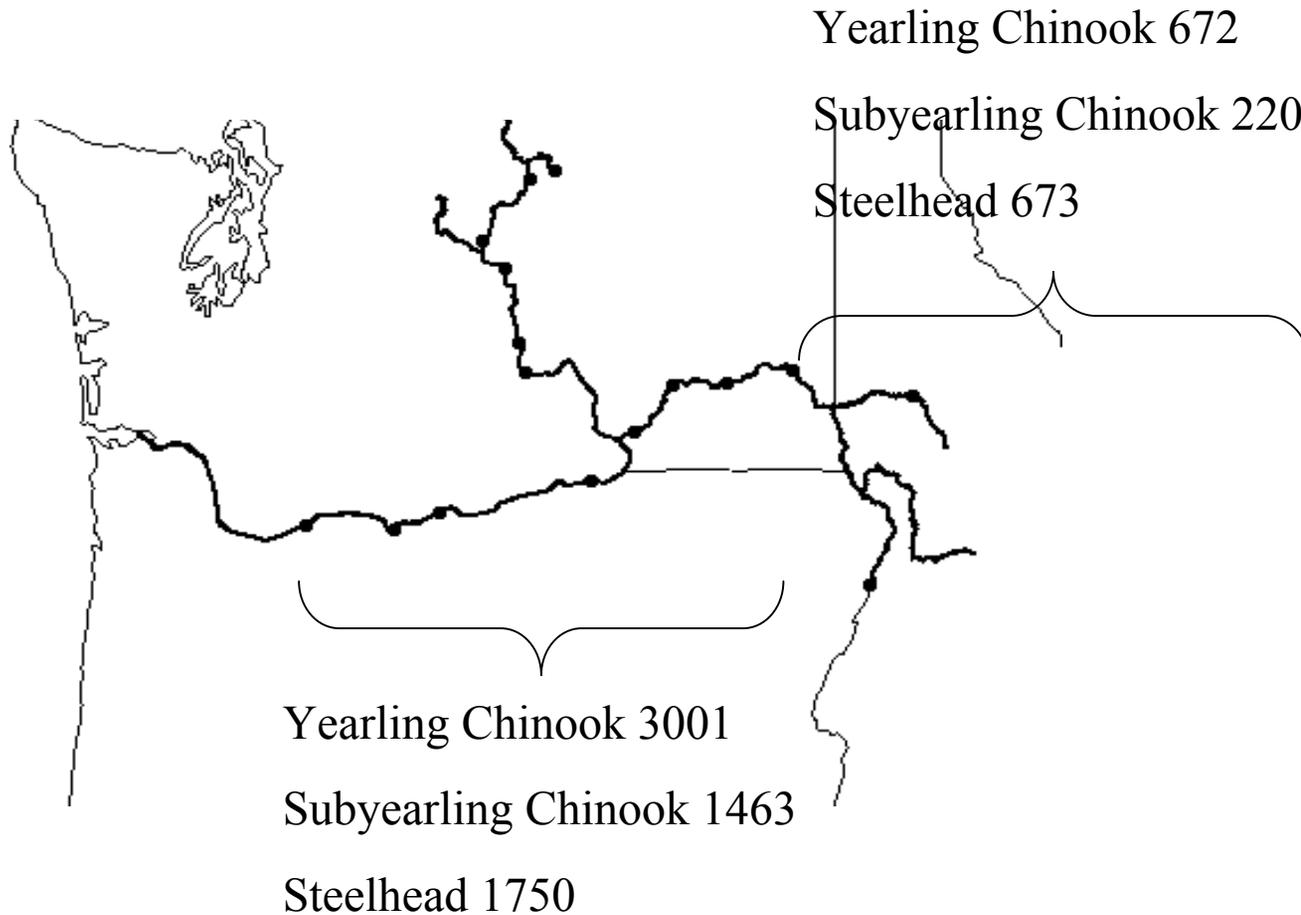
ω = random vel.

V = migration vel.

S_{dam} = Dam Surv.

1	$S = (a + bF + cF^2)^N$		Sims and Ossiander (1981)
2	$S = \begin{cases} a + bF & F < F^* \\ bF^* & F \geq F^* \end{cases}$	Broken Stick	Chapman et al. (1991), Williams et al. (2004)
3	$S = S_{dam} \exp(-ae^{b\theta}T)$	CRiSP 1.6	CBR (2003)
4	$S = S_{dam} (1 + a) \exp(-bT) / (1 + a \exp(-bT))$		Marmorek et al. (1996)
5	$S = S_{dam} \exp(-aX)$	SimPass	NMFS (2000)
6	$S = a + bD + cF + d\theta$		Smith et al. (2002)
7	$S = a + bT_w + cB + d\theta$		Petrosky et al. (2003)
8	$S = a + bT_w$		Petrosky et al. (2003)
9	$S = \exp(a - b/F)$		ISAB (2003)
10	$S = S_{dam} \exp(-aX\theta^m)$		Anderson (2003)
11	$S = a / (1 + \exp(b - cF))$	Sigmoidal	Smith et al. (2003)
12	$S = a + bF + c\theta$		Connor et al. (2003)
13	$S = a + bF + cF^2$		Smith et al. (2003)
14	$S = a + b\theta + c\theta^2$		Smith et al. (2003)
15	$S = a + bZ + cZ^2$		Smith et al. (2003)
16	$S = S_{dam} \exp(-ae^{m\theta + n_1Z + n_2Z^2 + c \log X} \sqrt{1 + \omega^2/V^2})$		Anderson et al (In press) Mean Free Path Models
17	$S = \exp(-ae^{m\theta + n_1Z + n_2Z^2 + c \log X + bB} \sqrt{1 + \omega^2/V^2})$		Anderson et al (In press))

7779 survival estimates between 1995-2003



r-sqr of observed vs. model survival

Model No.	Reach	Yearling Chinook			Steelhead			Subyearling Chinook		
		LGR-BON	LGR-MCN	LGR-BON	LGR-BON	LGR-MCN	LGR-BON	LGR-BON	LGR-MCN	LGR-BON
		I	V	II	I	V	II	I	V	II
	Number	3001	576	1222	1750	443	369	1463	218	662
1	F, N	0.24	0.15	0.18	0.31	0.23	0.30	0.18	0.12	0.15
2	F	0.07	0.14	0.08	0.01	0.27	0.01	0.02	0.08	0.06
3	T, θ, S_{dam}	0.18	0.24	0.09	0.29	0.20	0.18	0.14	0.16	0.10
4	T, S_{dam}	0.17	0.09	0.07	0.20	0.09	NA	0.13	0.16	NA
5	X, S_{dam}	0.26	0.13	0.17	0.32	0.28	0.32	0.21 ³	0.08	0.22 ²
6	D, F, θ	0.16	0.22	0.12	0.12	0.21	0.14	0.08	0.16	0.10
7	T_w, B, θ	0.15	0.24	0.17	0.19	0.31	0.20	0.07	0.18 ²	0.06
8	T_w	0.04	0.06	0.12	0.00	0.21	0.10	0.02	0.07	0.06
9	F	0.04	0.04	0.13	0.00	0.14	0.14	0.01	0.07	0.05
10	X, θ, S_{dam}	0.29	0.23	0.20	0.37	0.15	0.33	0.21 ³	0.04	0.22 ²
11	F	NA	0.12	NA	NA	0.28	NA	NA	0.10	NA
12	F, θ	0.11	0.19	0.14	0.06	0.21	0.18	0.02	0.14	0.06
13	F	0.07	0.15	0.14	0.02	0.25	0.23	0.02	0.12	0.07
14	θ	0.08	0.26	0.07	0.06	0.13	0.04	0.00	0.05	0.00
15	Z	0.00	0.10	0.00	0.07	0.13	0.14	0.01	0.05	0.01
16	θ, Z, V, X, S_{dam}	0.34	0.39	0.23	0.39	0.27	0.33	0.25 ²	0.17 ³	0.22 ²
17	θ, Z, V, X, B	0.33	0.40	0.22	0.40	0.34	0.33	0.27 ¹	0.20 ¹	0.24 ¹

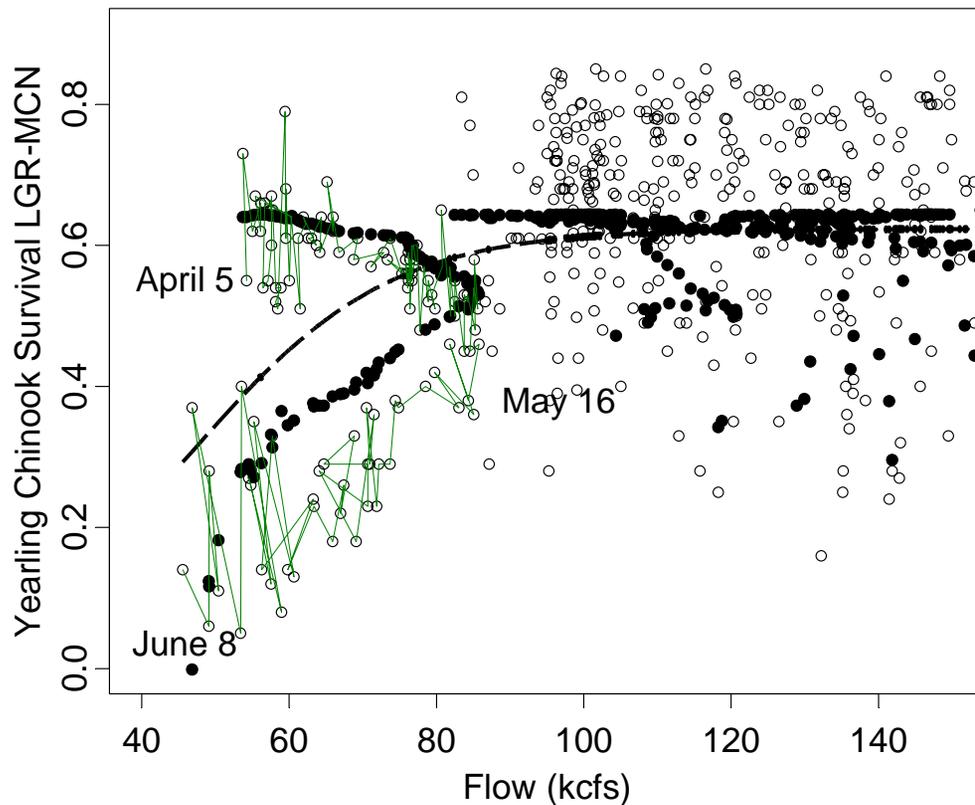
Criteria

I= 1995-2003

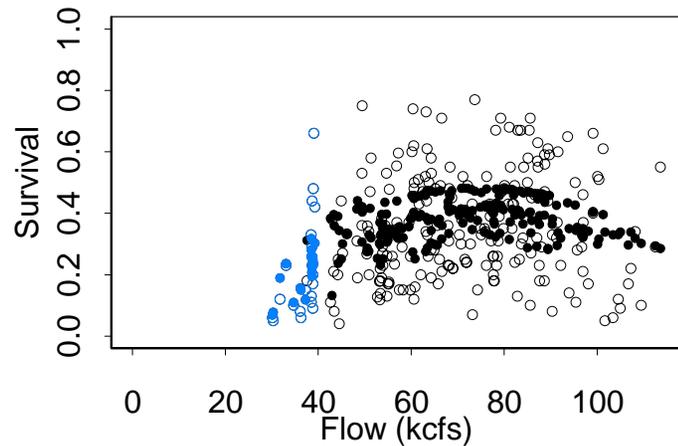
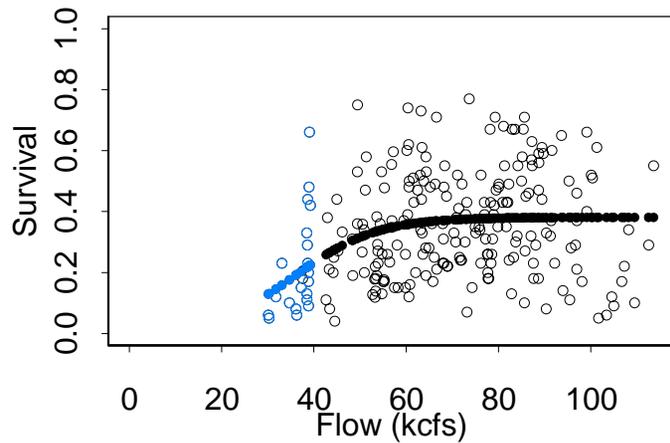
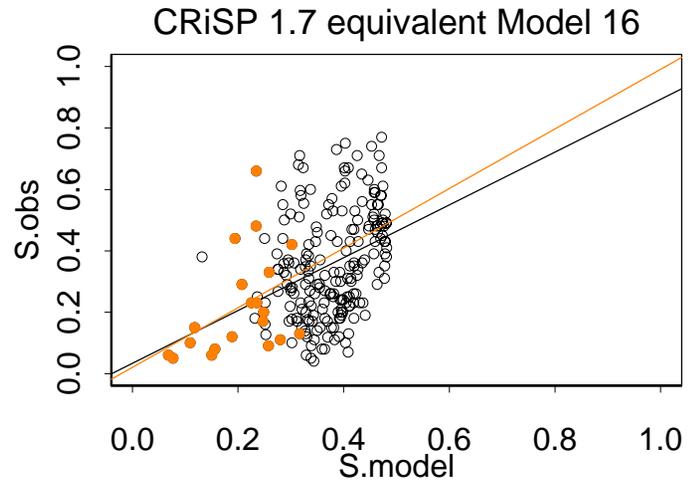
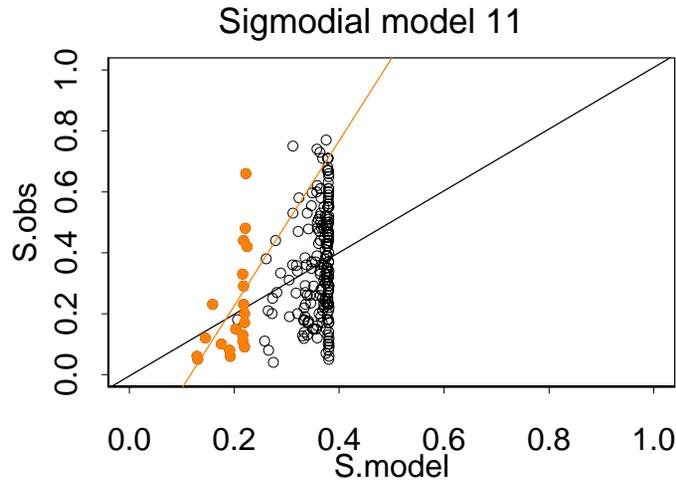
V = 2001

II = even years
 predicted with
 models calibrated
 to odd year data

Can models fit Seasonal and year-to-year flow-survival patterns?



Fall chinook survival LGR-MCN 1995-2003

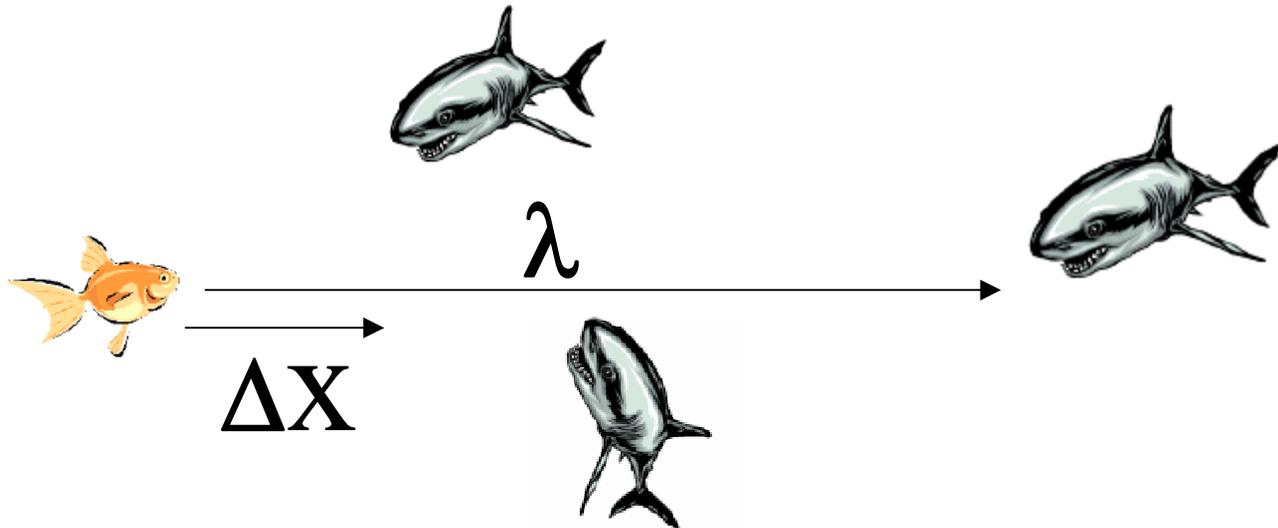


Development of the mean free-path length theory of predator-prey interactions

Survival based on the mean free-path length to a predator encounter

1. Probability of encounter in Δx

$$Prob = \Delta x / \lambda$$

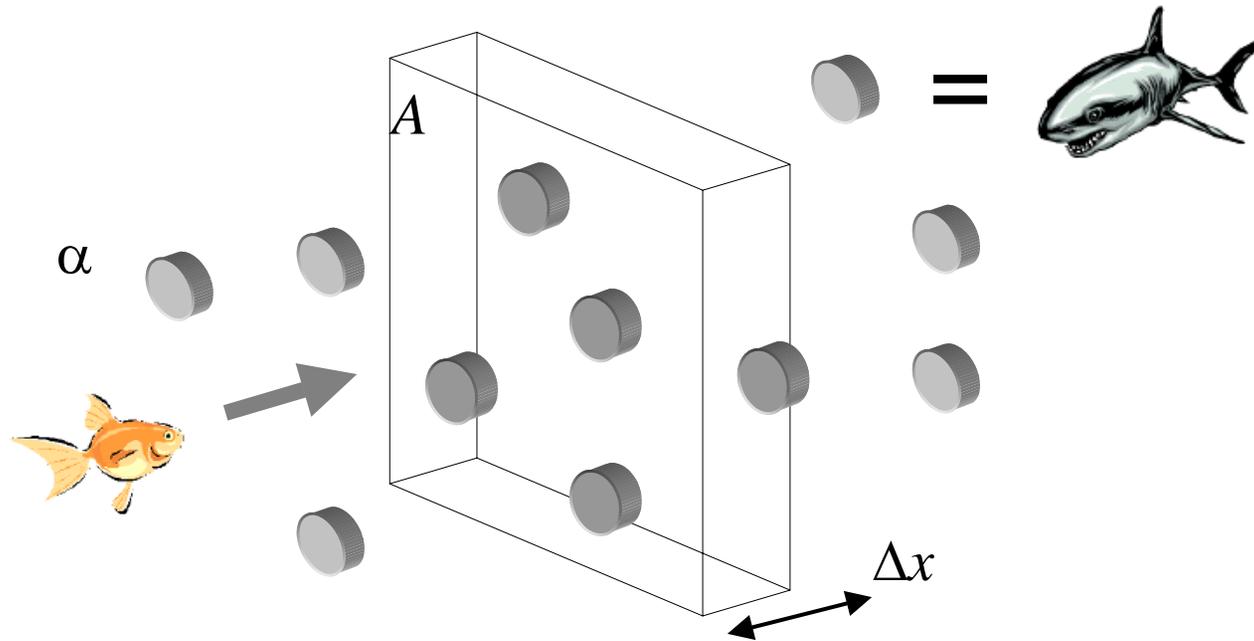


Model ranking

	Rank	Eq. No.	Covariates	No. para.	Flow -surv break point	2001 pattern?	Biol. Mech ?	r-sqr
Full model →	1	17	Q, Z, V, X, B	7	Y	Y	Y	0.30
	2	16	Q, Z, V, X, S_{dam}	6	Y	Y	Y	0.29
CRiSP 1.7 →	3	10	Q, X, S_{dam}	2	Y	Y	Y	0.23
CRiSP 1.6 →	4	3	T, Q, S_{dam}	2	Y	Y	Y	0.18
	5	7	T_w, B, Q	4	Y	Y	N	0.17
	6	6	D, F, Q	4	Y	Y	N	0.15
	7	12	FQ	3	Y	Y	N	0.12
	8	14	Q	3	Y	Y	N	0.08
	9	15	Z	3	Y	Y	N	0.06
	10	11	F	3	Y	N	N	0.15
Sigmoidal →	11	2	F	3	Y	N	N	0.08
	12	8	T_w	2	Y	N	N	0.08
	13	9	F	2	Y	N	Y	0.07
SIMPAS →	14	5	X, S_{dam}	1	N	N	Y	0.22
	15	1	F, N	3	N	N	N	0.21
	16	4	T, S_{dam}	2	N	N	N	0.14
	17	13	F	3	N	N	N	0.12

2. Probability of encounter in Δx

Prob = predators' area/unit area



Equating the two probabilities defines path length λ

$$prob = \frac{\text{small distance}}{\text{path length}} = \frac{\Delta X}{\lambda}$$

$$prob = \frac{\text{area with predators}}{\text{unit area}} = \frac{\alpha \rho \Delta X A_{unit}}{A_{unit}}$$

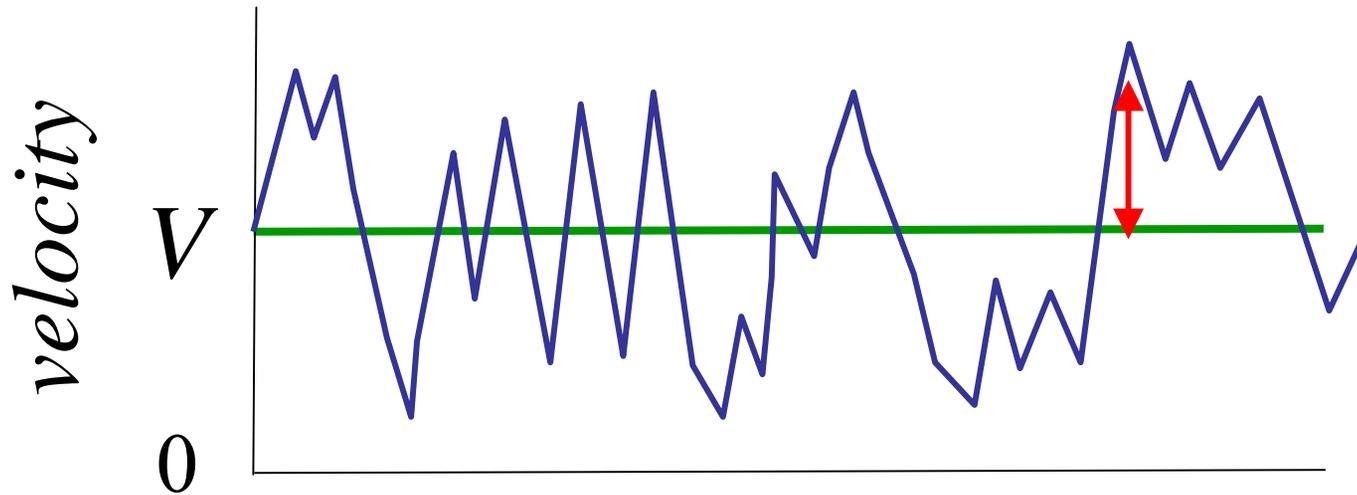
$$\lambda = \frac{1}{\rho \alpha}$$

The travel time, τ , at which
encounter probability = *prob*

$$\tau = \frac{\lambda}{w} = \frac{1}{w\rho\alpha}$$

w is the speed between
predator and smolt

Describe encounter speed w
with mean V and random parts v^*



Velocity: $w = V + v^*$

Decompose predators and prey velocities into components

then do some math

$$u_i = v_i - w_i$$

$$u = E \left[\sqrt{u_x^2 + u_y^2 + u_z^2} \right]$$

$$w_i = W_i + w_i^* \quad \text{and} \quad v_i = V_i + v_i^*$$

$$u_i^2 = V_i^2 - 2V_i v_i^* + v_i^{*2} - 2V_i W_i - 2W_i v_i^* + W_i^2 + 2V_i w_i^* - 2v_i^* w_i^* + 2W_i w_i^* + w_i^{*2}$$

$$E(v_i^* w_i^*) = 0 \quad E(V_j w_i^*) = 0$$

$$E[u_i^2] = V_i^2 + E[v_i^{*2}] + E[w_i^{*2}]$$

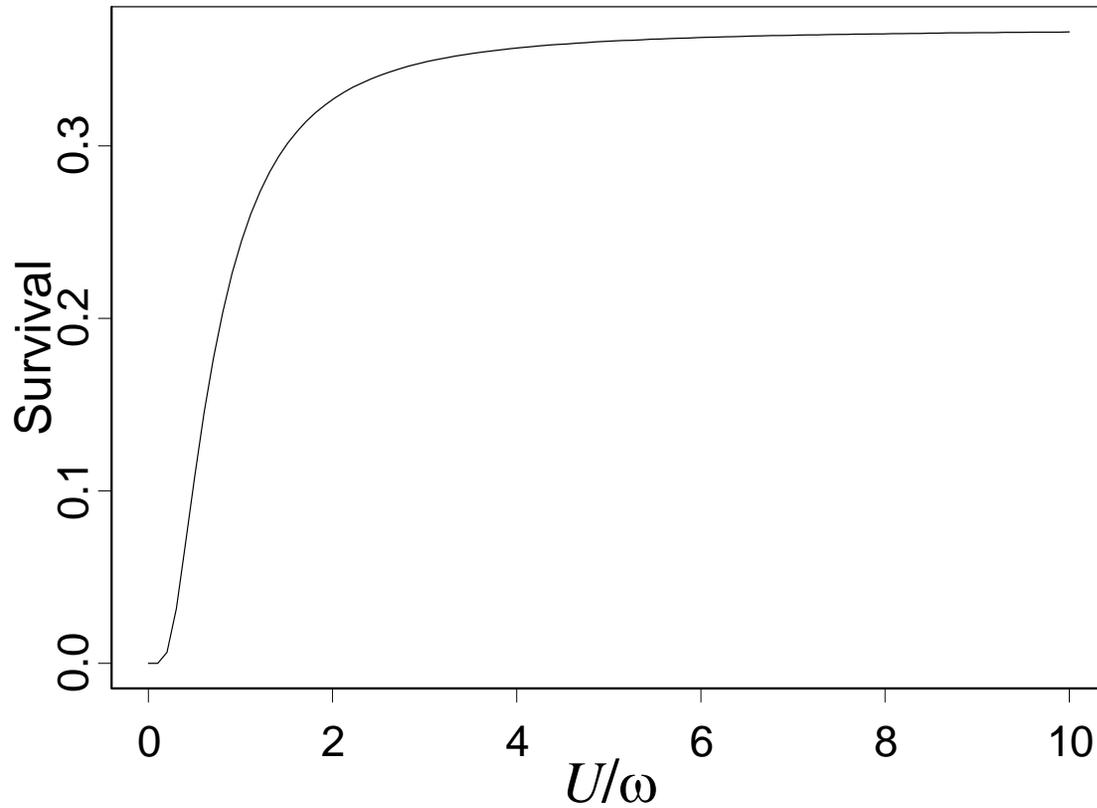
$$\omega^2 = v^{*2} + w^{*2} = \overline{v_x^{*2}} + \overline{v_y^{*2}} + \overline{v_z^{*2}} + \overline{w_x^{*2}} + \overline{w_y^{*2}} + \overline{w_z^{*2}}$$

Reach migration survival

$$S = \exp\left(-\alpha\rho X \sqrt{1 + \omega^2/U^2}\right)$$

- Smolt migration velocity: U
- Migration distance X
- Random predator-prey velocity: ω
- Reaction area: α
- Predator density: ρ

Effect of travel time on survival depends
on the ratio of migration velocity to
random encounter velocity



Environmental effects expressed on model terms

reaction area depends on turbidity Z

$$\alpha \sim f(Z) = \exp(aZ + bZ^2)$$

active predator density depends on temperature Q

$$\rho \sim \rho_0 f(Q) = \rho_0 \exp(aQ)$$

